

# Mathematics mind map Common content

= P(A|B)=P(A.

 $\frac{P(B)}{P(A \cap B)} = P(A)P(B)$ 



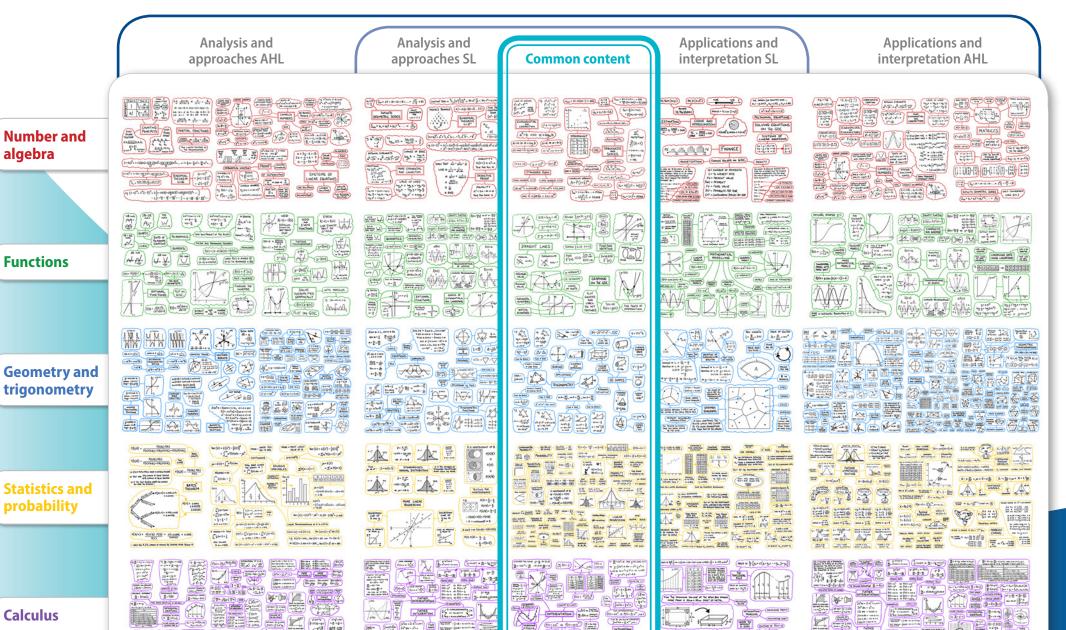
ROBABILIT

## **Mathematics mind map**



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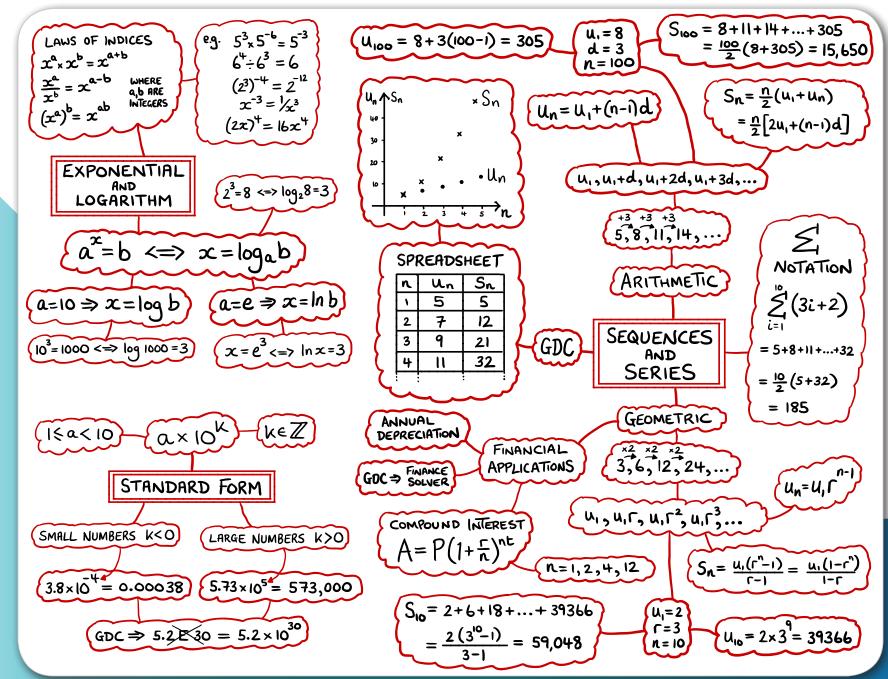
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**Calculus** 

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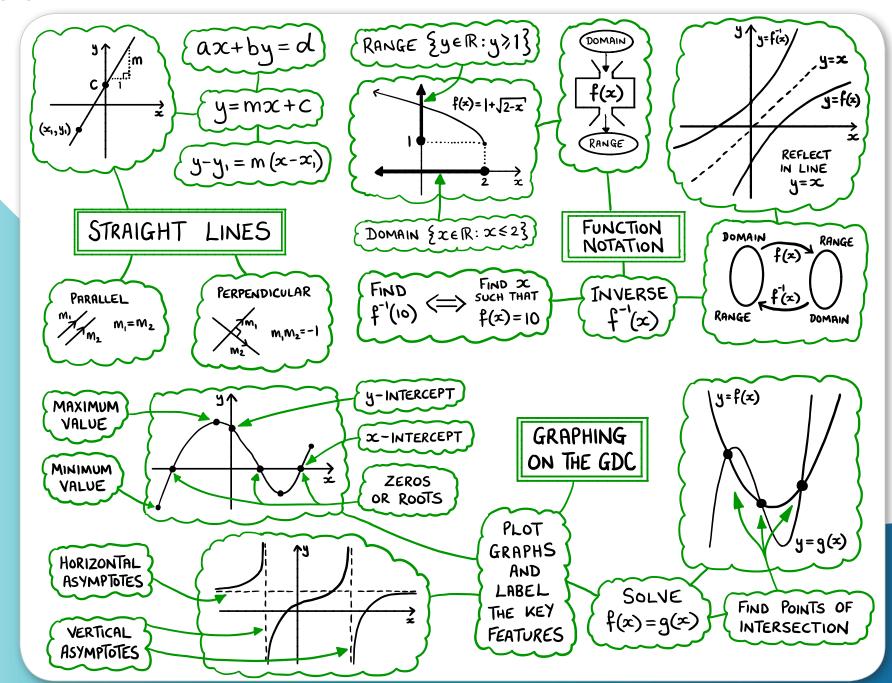
# International Baccalaureate Baccalauréat International Bachillerato Internacional

#### Number and algebra



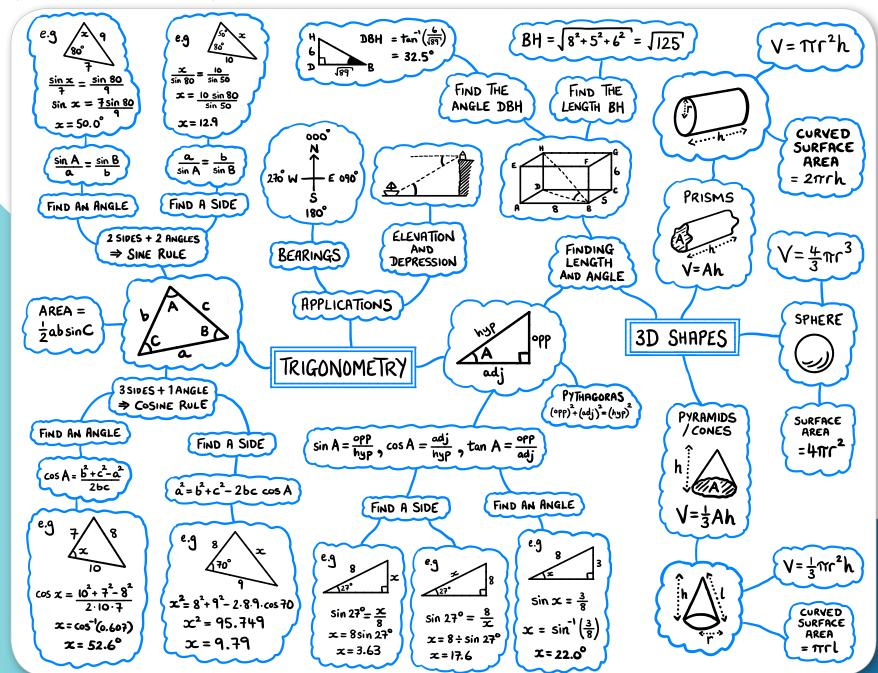
#### **Functions**





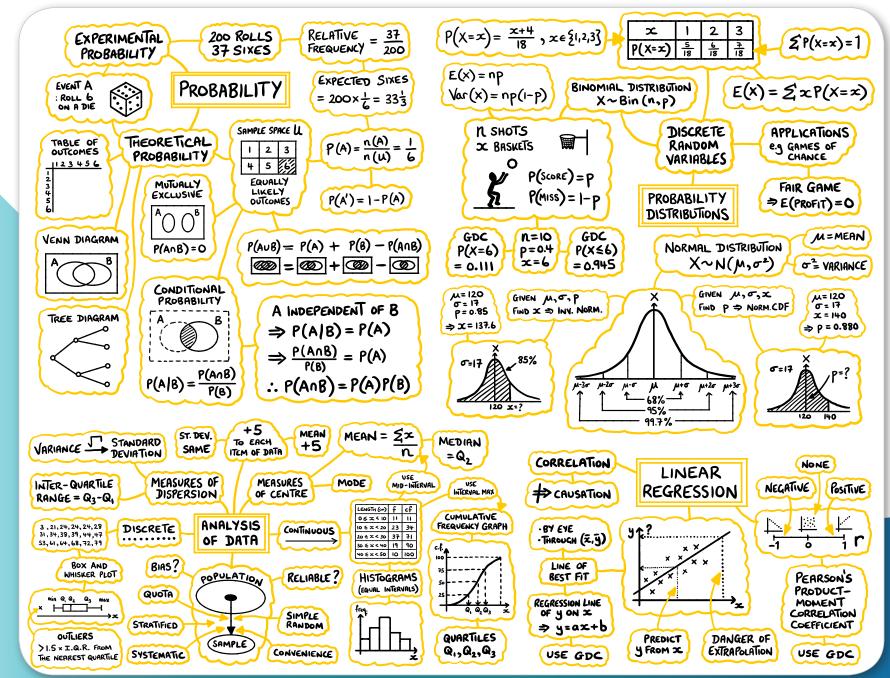
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#### **Geometry and trigonometry**



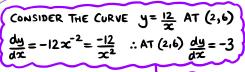
## **Statistics and probability**

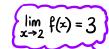


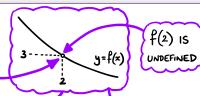


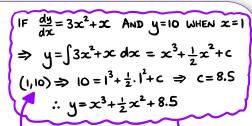
#### **Calculus**













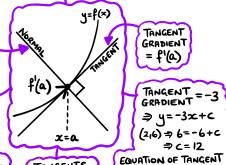
NORMAL =  $\frac{-1}{-3} = \frac{1}{3}$ GRADIENT =  $\frac{-3}{3}$ 

EQUATION OF NORMAL

IS  $y = \frac{1}{3}x + \frac{16}{3}$ 

> y= \ \ \ x+c

(2,6) ⇒ 6= ⅔+c



TANGENTS

AND NORMALS

TANGENT GRADIENT = f'(a)

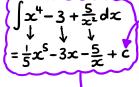
15 y=-3x+12

	<b>\</b>
TANGENT =-3	<b>\</b>
<i>&gt;</i> y=-3x+c	ļ
2,6) => 6=-6+0	
⇒c=12	

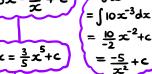
	` '	
f( <b>≭</b> )	) (	x
5	$\mathcal{M}$	3
3.10526	<b>\$</b> }	2.1
3.01005	"	2.01
3.00100	<b>\</b> (	2.001
3.00010	{}	2.0001
•	{}	

 $f(x) = \frac{x^2 + 2x - 8}{x^2 - 2x}$ 

FINDING THE "+c" BOUNDARY CONDITION



THE CONSTANT of Integration ∫ 100 dz





f(**≈**)

2.33333

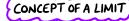
2.90476

2.99005

2.99900 2.99990

$$\int 3x^4 dx = \frac{3}{5}x^5 + c$$





x

1.99

1.999

1.9999

#### ANTI-DIFFERENTIATION ...

$$(f'(x) = ax^n \Rightarrow f(x) = \frac{a}{n+1}x^{n+1}, n \neq -1$$

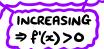
 $f(x) = ax^n \Rightarrow f(x) = anx^{n-1}$ 

$$y, f(x) \Rightarrow \text{function}$$
 $y, f(x) \Rightarrow \text{of the curve}$ 

$$\frac{dy}{dx}, f(x) \Rightarrow \text{Gradient}$$

$$\text{Function}$$

... CAN BE WRITTEN AS INTEGRATION  $\int ax^n dx = \frac{a}{n+1}x^{n+1}, n \neq -1$ 

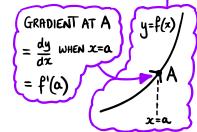




DIFFERENTIATION

W IS THE RATE OF CHANGE OF V WITH RESPECT TO 1.

## INTEGRATION



$$\begin{cases} f(x) = 3x^{\frac{3}{2}} \\ f(x) = 3x^{\frac{3}{2}} \end{cases}$$

$$\begin{cases} y = \frac{5}{x^3} \\ y = \frac{5}{x^3} \end{cases}$$

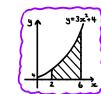
$$\begin{cases} f(x) = 3x^{7} \\ f'(x) = 21x^{6} \end{cases}$$

$$\begin{cases} f(x) = 5 = 5x^{0} \\ f'(x) = 0 \end{cases}$$

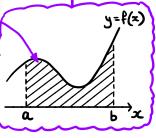
$$\begin{cases} \frac{dy}{dx} = -15x^{-4} \\ \frac{dx}{dx} = -\frac{15}{x^{4}} \end{cases}$$

FINDING AREA > DEFINITE INTEGRATION





SHADED AREA  $= \int_{2}^{6} 3x^{2} + 4 dx$ USING GDC  $= 224 \text{ units}^2$ 



FIND THE GRADIENT OF THE CURVE  $f(x)=x^3-1$  AT THE POINT WHERE x=2

$$f'(x) = 3x^2 \implies f'(2) = 3 \cdot 2^2 = 12$$

$$f(x) = x^{4} + 5x - \frac{7}{x^{2}} + 3$$

$$\downarrow \qquad \downarrow \qquad \downarrow$$

$$f'(x) = 4x^{3} + 5 + \frac{14}{x^{3}}$$